## Environmental controls and phenology of sea ice algae growth in a future Arctic

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## Ocean and sea ice model

- NEMO 3.4 + LIM2
- Historical (1979-2015)
  - Atmosphere: DFS
  - Lateral boundaries: ORAS4
- RCP8.5 (2016-2085)
  - Atmosphere: CanRCM4
  - Lateral boundaries: CanESM2





**CSIB** (Canadian Sea Ice Biogeochemistry model)

- Skeletal layer
- Ice algae
- N, S biogeochemistry

**CanOE** (Canadian Ocean Ecosystem Model)

- 2 phytoplankton
- 2 zooplankton
- 2 detritus
- C, N biogeochemistry
- + S cycle
- Fe limitation

Hayashida et al. 2019. CSIB v1 (Canadian Sea-ice Biogeochemistry): A Sea-Ice Biogeochemical Model for the NEMO Community Ocean Modelling Framework.

Christian et al. 2022. Ocean Biogeochemistry in the Canadian Earth System Model Version 5.0.3: CanESM5 and CanESM5-CanOE.



#### Daily sea ice algae 15 May



## Key dates



#### Day of phototrophy onset

- → PAR = 0.36  $\mu$ mol photons m<sup>-2</sup> s<sup>-1</sup>
- → Lowest reported ice algal light compensation intensity
- → Start of net growth from photosynthesis

#### Day of sea ice break up

- → First day sea ice concentration < 50%
- → End of bloom

#### Phototrophic period

 Number of days from phototrophy onset to SI break up

#### Ice Algae Growth rate

 $\mu_{IA} = \mu_{\max} f(T) \min \left( L_N, L_{PAR} \right)$ 

Growth limitations :

- L<sub>PAR</sub> photosynthetically active radiation (PAR)
- $L_N$  nitrogen (NO<sub>3</sub> + NH<sub>4</sub>)



#### Day of PAR half limitation

- → First day L<sub>PAR</sub> > 0.5
- → Start of high light

#### Day of nutrient half limitation

- → Last day when  $L_N > 0.5$
- → End of high growth



#### High growth days

- Number of days between PAR half limitation and N half limitation
- → Negative if N limitation before PAR limitation

## Key dates of ice algae blooms







## **Growth periods**

*Phototrophic period*: Number of days from phototrophy onset to SI break up

*High growth days*: Number of days between PAR half limitation and N half limitation

- Negative if N limitation before PAR limitation
- → Timing of environmental conditions controls growth
- Need enough time with sufficient light
- Synchrony of light and nutrient availability
- → Limitation functions are saturating functions
- Beyond certain values, growth rate not higher
- More nutrients: longer period of high growth



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## Ice algae bloom timing



#### Day of ice algae bloom onset

Day ice algae reaches 1 standard deviation of the ice algae concentrations calculated over the period from 1 January to 31 August.

#### Day of maximum ice algae

Day the maximum concentration is reached between 1 January and 31 August



#### Day of maximum ice algae

- Maximum just before the biomass begins to decrease
  - Indicative of bloom termination timing
- Bloom termination due to flushing of ice algae
  - → Indicative of changes in onset of ice melt

#### Day of ice algae bloom onset

- Earlier onset of phototrophy:
  - → Earlier growth
- Model : exponential growth
  - → Low PAR: doubling time 35 days
  - Low biomass : Delay in development of bloom



- Later freeze-up in future
  - Ice formation from seawater with less phytoplankton
  - → Lower accumulation of ice algae during ice growth
  - Lower initial ice algae at the beginning of spring

## Sea ice – climate interactions: DMS

#### Mean number of days DMS emissions > 2.5 $\mu mol~m^{-2}~d^{-1}$



Aerosol nucleation threshold for remote regions:

→ For DMS fluxes > 2.5 µmol m<sup>-2</sup> d<sup>-1</sup> linear relationship between CCN number concentration and the DMS flux (Pandis 1994)

#### Bottom Ice DMS and Ice Algae



Regional spring means (March, April, May and June) each point represent a year.

## Key points

Key dates diagnostics

Timing of environmental conditions controls ice algae growth

Future of ice algae blooms

- → Loss of ice thickness, limited changes in sea ice break-up timing
- Longer growth periods, emergence of new productive regions
- Impact of ice extent loss limited to lower latitudes before 2085
- → Limited change to timing of ice algae peak

#### Timing of bloom onset

- Earlier light compensated by lower initial biomass
- Impact of later freeze-up on following bloom

#### Future DMS

- Increased DMS production and emissions
- Earlier emissions from earlier sea ice brake-up
- Emissions burst controlled by wind

Extension to ocean? Different growth parametrizations?

Acceleration after 2085? Ice Algae Model Intercomparison IAMIP2 : Yuanxin Zhang poster

Model validity for bloom initial phase?



Representations of leads: emissions during ice brake-up

## Thank you for your attention!

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## What controls the onset of phototrophy?



## Model evaluation: timing



Satellite daily sea ice concentration datasets :

AMSR-E ASI (version 5.4, June 2002 to September 2011, Melsheimer and Spreen (2020)) AMSR2 ASI (version 5.4, July 2012 to December 2019 Melsheimer and Spreen (2019))

## Ice algae dynamics





- Minimum: need synchrony of light and N
- Limitation functions are saturating functions
  - → Beyond certain values, growth rate not higher
  - → More nutrients: longer period of high growth
- Temperature constant in skeletal layer

During high growth days, neglecting quadratic mortality and transport:

$$\frac{dIA}{dt} \approx \mu IA$$

with  $\mu$  independent of PAR and N, but period of integration over growth period

→  $IA(t) \approx IA(t_0) \exp(\mu (\text{length of high growth period}))$